

**Riviera International Academy**

**Revision Assignment-2078**

**Day 3 (Jestha17, 2078, Monday)**

**Class: Eight**

**Subject: English**

**Rewrite the following sentences into Indirect Speech:**

- a. She said, 'German is easy to learn'.
- b. The poor man exclaimed, 'Will none of you help me?'
- c. He said, 'Will you listen to such a man?'
- d. She said to me, 'Do your work yourself.'
- e. Sarita said to Ram, 'Please help me.'

**Rewrite the following into Direct Speech.**

- a. I asked him if I had to talk to her.
- b. He said that he was glad to be there that evening.
- c. She asked me where I lived.
- d. He said that the horse had died in the night.
- e. Rama asked why he had gone there.

**Subject- OBTE**

1. What do you mean by occupational education?
2. Why Nepal is known as agricultural country? Explain
3. How technology have changed the country?

**Subject – Science**

Draw a electronic configuration of elements from atomic number 1 to 10.

**Subject- Mathematics**

Construct five questions from any chapter of class 7 and solve it.

## Subject- Opt. Mathematics

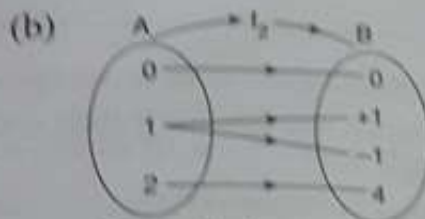
Read and write all examples.

### 4 Function

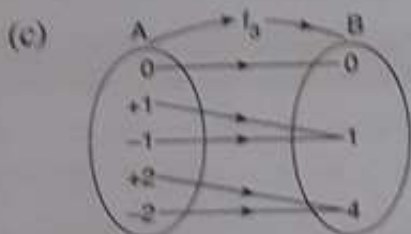
Let A and B be two non-empty sets, then, the relation from A to B that associates each element of set A with a unique element of set B is called a **function**. Consider the examples.



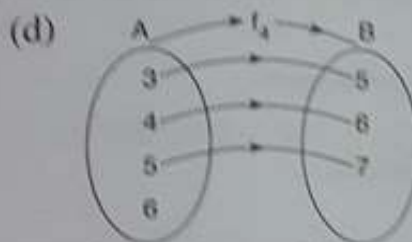
Each element of A is matched with an unique element of B. Therefore, relation  $f_1$  is a function.



One of the elements in A is matched with two elements of B. Therefore, relation  $f_2$  is not a function.

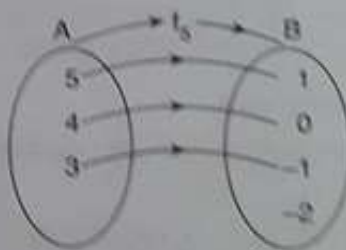


Each element of A is matched with one element of B. Therefore, relation  $f_3$  is a function.



One element in A is not matched with any element in B. Therefore, relation  $f_4$  is not a function.

(e) Each element of A is matched with one element of B. Therefore, relation  $f_5$  is a function.



From these examples, we conclude that every function is a relation but every relation is not a function. For a relation to be a function, the same first element should not appear in two ordered pairs representing the relation. Therefore,

(i)  $f_1 = \{(1, 2), (2, 3), (3, 4)\}$  is a function because no two ordered pairs have the same first element.

(ii)  $f_2 = \{(1, 2), (1, 3), (3, 4)\}$  is not a function, because two ordered pairs  $(1, 2)$  and  $(1, 3)$  have the same first element 1.

2. Find the domain, co-domain and range of the function if  $f: A \rightarrow B$  where  $A = \{-1, 0, 1\}$  and  $B = \{0, 1, 2\}$  is and defined as in the figure

**Solution:**

Here, Domain of  $f = A = \{-1, 0, 1\}$

Co-domain of  $f = B = \{0, 1, 2\}$

and Range of  $f = Y = \{0, 1\}$



3. A function  $f$  is defined from set  $A$  to set  $B$  by the rule  $f = \{(x, y) / y = 2x\}$  given that  $A = \{-1, 2, 4\}$ . Find the range of  $f$ .

**Solution:**  $f = \{(x, y) / y = 2x\}$  is a given function, where  $x \in A$  and  $y \in B$ , and function rule is  $y = 2x$ .

When  $x = -1$ ,  $y = 2x \Rightarrow y = -2$

When  $x = 2$ ,  $y = 2x \Rightarrow y = 4$

When  $x = 4$ ,  $y = 2x \Rightarrow y = 8$ .

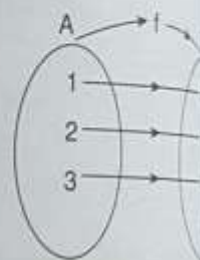
Hence, range of  $f = \{-2, 4, 8\}$

4. A function  $f: A \rightarrow B$  is defined in the figure.

Find the (a) domain (b) co-domain (c) range

(d) images of 1, 2, 3 and

(e) pre-images of a, b, c, d.



**Solution:**

(a) Domain of  $f = \{1, 2, 3\}$

(b) Range of  $f = \{a, b, c\}$

(c) Co-domain of  $f = \{a, b, c, d\}$

(d) Image of 1 is a, 2 is b and 3 is c.

(e) Pre-image of a is 1, b is 2 and c is 3.

d has no pre-image.

5. If  $f(x) = 3x^2 + 2$  be a function, find  $f(2)$  and  $f(-3)$ .

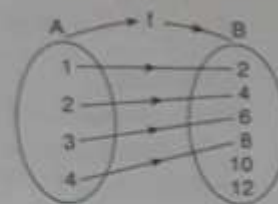
**Solution:** Here,  $f(x) = 3x^2 + 2$

then,  $f(2) = 3 \cdot 2^2 + 2 = 3 \cdot 4 + 2 = 12 + 2 = 14$

and  $f(-3) = 3(-3)^2 + 2 = 3 \cdot 9 + 2 = 27 + 2 = 29$

### 2.4.1 Domain, Range and Co-domain of a Function

Let  $A = \{1, 2, 3, 4\}$  and  $B = \{2, 4, 6, 8, 10, 12\}$  be two sets and a function  $f$  be defined from  $A \rightarrow B$  as  $f = \{(1, 2), (2, 4), (3, 6), (4, 8)\}$ . We can represent this function by an arrow diagram as in the figure.



Here,  $A = \{1, 2, 3, 4\}$  is called the **domain of  $f$** .

$B = \{2, 4, 6, 8, 10, 12\}$  is called the **co-domain of  $f$** .

$Y = \{2, 4, 6, 8\}$  is called the **range of  $f$** .

Note that  $Y \subset B$ .

That is, **the range of a function is the subset of its co-domain.**

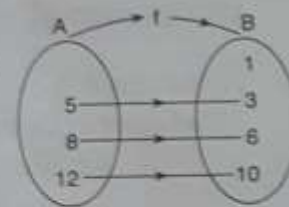
Moreover,  $A = \{1, 2, 3, 4\}$  is the set of first elements of the ordered pairs of  $f$  and  $Y = \{2, 4, 6, 8\}$  is the set of the second elements of the ordered pairs of  $f$ .

### 2.4.2 Image and Pre-Image of $f$

Consider the function  $f: A \rightarrow B$ .

Here, the function associates 5 of  $A$  to 3 of  $B$ . We say that 3 is the image of 5 and 5 is the pre-image of 3. Similarly,

- 6 is the image of 8 and 8 is the pre-image of 6.
- 10 is the image of 2 and 12 is the pre-image of 10.
- The element 1 of  $B$  has no pre-image.



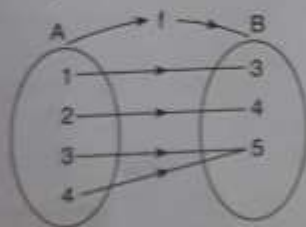
### Worked Out Examples

1. Draw arrow diagrams for each of the relations  $f$  and  $g$  and state clearly if the relation represents a function or not:

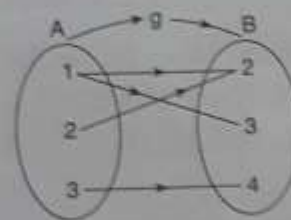
$$f = \{(1, 3), (2, 4), (3, 5), (4, 5)\}$$

$$g = \{(1, 2), (1, 3), (2, 2), (3, 4)\}$$

**Solution:** Representing the given relation in arrow diagrams, we get



$f$  is a function, because each element of  $A$  is uniquely paired with an element of  $B$ .



$g$  is not a function, because two elements 1 and 2 of  $A$  have been paired with one element 2 of  $B$ .

The End.